

Physics of Stuttering II

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Abstract

This paper provides a mathematical investigation of the physics of stuttering. We see that the stutterer's frequency of the operation of his mind is 10x' that of a normal frequency. Adrenalin makes things worse for stutters because it contains nitrate ions which upset the chemical balance of a normal electrical potential of 105 mV.

Keywords: stuttering; adrenaline; nitrate

Introduction

I had a friend in university who stuttered. Most of the time, his speech was fluent; but when he was under stress, he would get stuck on one syllable. If I reassured him with a nod, he would speak smoothly. When he was under stress he stuttered. This indicates to me that there was nothing mechanically wrong with his speech apparatus because it worked fine when he was not under stress. So what was it about stress. It is the release of adrenaline.

The chemical formula for adrenaline is $C_9H_{13}NO_3$. Take note of the nitrate ion. In the nerve cell, there are neurotransmitters Cl^- , Na^+ , K^+ and Pr^- . The Pr^- includes the Gasotransmitter NO . See figure 1.

I theorize that this NO causes too much negative charge in the Intercellular fluid, thus causing a hyperpolarization. The regular resting state is $-70mV$. We will use $-90mV$. The discharge of the potential goes up to $+35mV$. Which is a difference of $105mV$. These numbers appear in what follows.

Chlorine Cl^- is also a negative ion. Too much chlorine would have the same affect on the discharge of a nerve fibre having excessive negative charges. Chlorine is in our tap water. Chlorine is also absorbed by the body in the shower -up to 1 litre. It is injected in salt, however this is balanced by sodium in the $NaCl$ molecule.

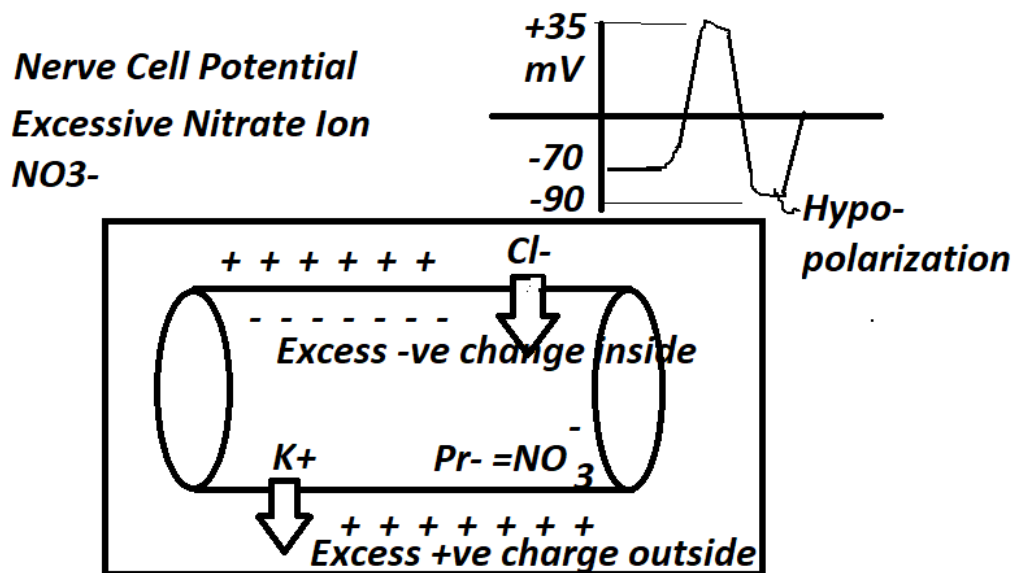


Figure 1 Nerve Cell Potential

I have determined that the human mind has an internal clock that runs at $t=1330$.

$$\text{Freq} = 1/1330 = 0.75 = 3/4 = 1/s$$

$$E = (1 - \ln \pi)^7$$

$$= 0.00001330$$

$$0.000001330/t = 0.000001330/1330 = 0.00001 \sim 1 = E$$

$$\text{Mind} = (1 - v_s/v_L)$$

$$= (12 - 343/2.99792458)$$

$$= 113.3$$

$$\text{Mind} = (1 - t_s/t_L)$$

$$= 113.3 = 1 - t_s/t_L$$

$$113.3 = 1 - t_s/2.99792458$$

$$t_N = 337$$

$$v = d/t$$

$$343 = d/337$$

$$d = 1.0403$$

$$1/d = 1/s = 961$$

$$E_N = (1 - \ln 0.337)^7$$

$$= 172.83$$

$$\sim \sqrt{3}$$

$$\text{Freq} = t = KE = 1/2 P v^2$$

$$= 1/2 (4/\pi)(1/\sqrt{2})^2$$

$$\text{Freq}_N = 1/\pi$$

$$\text{Freq}_{AB} = t = KE_{AB} = 1/2 (40/\pi)(1/\sqrt{2})^2$$

$$\text{Freq}_{ab} = 10/\pi$$

$$t_{AB} = \text{Freq}_{AB} = 3.183$$

$$E = (1 - \ln t)^7$$

$$= (1 - \ln 3.183)^7$$

$$E_{AB} = 243.9 \sim 244$$

$$\text{Mind} = (1 - t_s/t_L)$$

$$= (1 - 3.183/299792458)$$

$$= -0.6173$$

Mind ~ -0.618 Root of the /Golden Mean Parabola

$$V = d/t$$

$$343 = d/3.183$$

$$d = 1.0917$$

$$1/s = 916$$

$$S = |E||t| \sin \theta$$

$$10917 = 244t \sin 60^\circ$$

$$T = 5166 \sim 517$$

$$V = d/t$$

$$= 10917/517$$

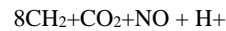
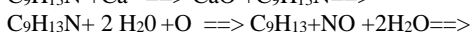
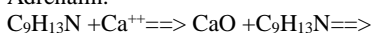
$$= V_{ab} = 2113$$

$$v_N / V_{ab} = 343/2113$$

$$= 1623 \sim 1.618 \text{ Root of the Golden Mean Parabola}$$

$$V_{ab} / V_N = 0.618$$

Adrenalin.



$$\text{Molecular mass} = 9.0058$$

$$M = 9.00 = \ln t$$

$$t = 0.810$$

$$E = (1 - \ln t)^7$$

$$(1 - 0.810)^7$$

$$= 0.000008938$$

$$= c^2$$

$$E = Mc^2$$

$$c^2 = Mc^2$$

$$M = 1 = M = \ln t$$

$$t = 2.71828 = e^1$$

$$t_{ST} = e^1 + 3.183 = 59.0$$

$$t_N = e^1 + 0.337$$

$$= 305.5$$

$$t_s/t_N = 519.305 = 1/517$$

$$t_N = 0.5169 \sim 517$$

$$E = (1 - \ln \pi)^7$$

$$= 0.000001330$$

Internal Clock

$$t_N = KE = 1/2 Mv^2$$

$$= 1/2 (4)(1/\sqrt{2})^2$$

$$= 1$$

$$t_N = 1$$

$$E = [1 - \ln (1/0.517)]$$

$$= [1 - \ln (193.4)]^7$$

$$= 105$$

$$= |-70| + 35mV$$

= Nerve Signal

$$E_{st} = (1 - \ln t_{st})^7$$

$$E_{stuttering} = 105$$

$$E_{Norm} = (1 - \ln t_N)^7$$

$$= (1 - \ln (1))^7$$

$$E_N = 1$$

$$v = d/t = 2.113$$

$$v^2 = 4.465$$

$$= 1/2239$$

$$V_{ab} = 1/\Delta V = 1/22.39$$

$$22.39 = 1/c^2 R$$

$$R = 198.7 \sim 2 = L$$

$$1/R = 0.503 = t_{min}$$

$$V = iR$$

$$22.39 = 1/c^2 R$$

$$R = 2.49 \sim 2.5$$

$$2 \text{ syll/sec} = x 2.5 = 5 \text{ syll/sec}$$

$$217.39/5 \text{ syll/sec} = 43.478 \text{ sec/syll} = (1/23.00) \text{ sec/syll}$$

Normal:

5 syll /sec x 1/23sec/syll =217

Stuttering
2 syll/sec x 1/23 sec/syll=217

Normal
5xt0=5x 6.366=0.3183=1/π=freq.=t_{norm}

Stuttering
2 x 6.366=12.73=40/π=freq.=t_{stut}

40/π=127.3 =10 x's density

K.E.=1/2 pv²
t=KE=1/2(4/π)(1/√2)²
=3183

=10/π
=freq of the stuttering mind =10x's Normal.

V_N=1/ΔV=1/105
V=iR
1/105=(1/c²)R

R=0.,856
1/R=116.83

ΔE=ΔV=(1-Ln t)⁷
(1-Ln 1.330)⁷
=104.8~105
=-70)+35 mV

105/22.39=1/213 Cf. 217

ACT* Model

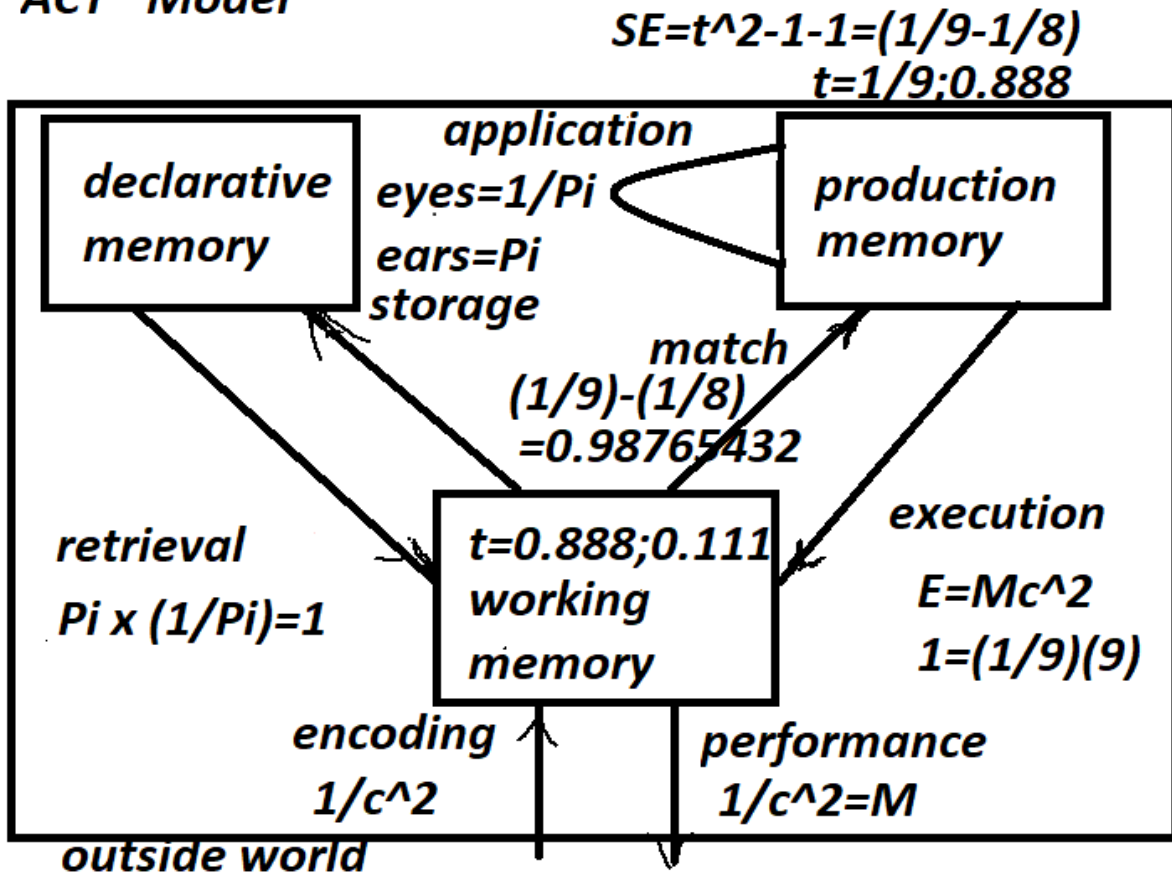


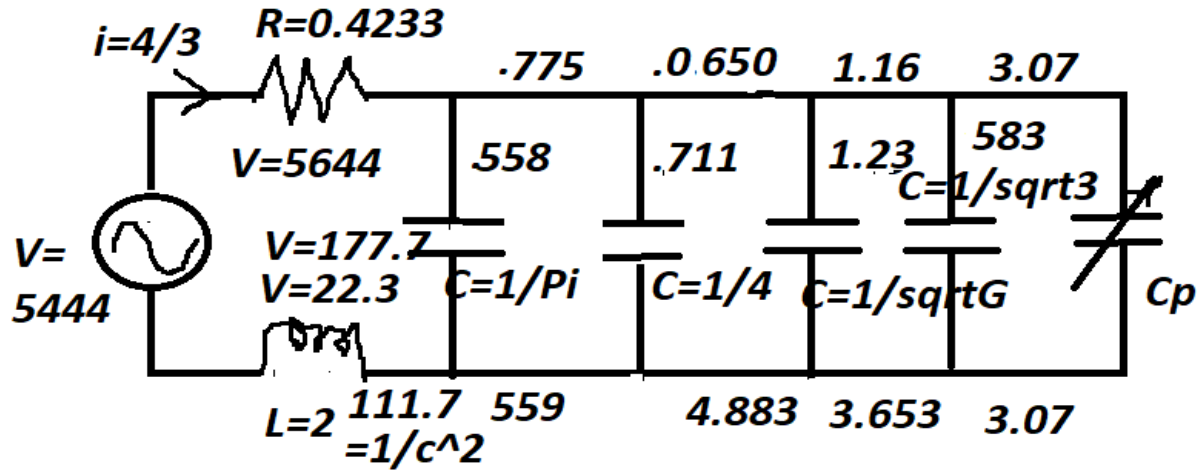
Figure 2 ACT* Model of the Brain with formulas

M=9.00
Normal Output=1/c²
M=1/c²

9=1/c²=E/81=E/c⁴
ΔV=iR

105=1/c⁴R

R=85.05 Cf. 0.856
E=(1-Ln t)⁷
t_{stuttering} =10 t_{Normal}
E=(1-Ln 10(517))⁷
E=0.04538
~0.454
t=1/E=220 =200+20 msec



$V=iR \quad 177.7=3.07(R)$
 $R=57.88 = 1 \text{ rad} \quad 1/\sqrt{3} = \text{Universal Signal}$
 $C=1/\sqrt{3}$

Figure 3 Plasticity of the brain.

$V=iR$
 $= (4/3)(0.4233 + (1/\pi) - 2)$
 $= (4/3)(1/258)$
 $= 1/677 = 1/595$
 $1/595 \times 220 = e^1$

t=1

$= 125 = 1/8 = E_{\min}$
 $SE = (1/8) + (1/9) = 138.8 = 1/720$
 $E = (1 - \ln 0.720)^7$
 $= (1.327)^7$
 $\sim 1.330^7 = 723.6 = 1 = 1/1358 \quad \text{Cf. 1330}$

$\Delta t = 594$
 $SE = 138.8 = t^2 - t - 1$
 $t^2 - t - 38.8$
 $t = 112.5; 1.25$
 $112.5^2 - 112.5 - 38.8 = 125$
 $1/8 = E_{\min}$
 $(1/8)^2 - 1/8 - 38.8$
 $= 389$
 $= 1257$
 $2 \times 1/257 = 514$
 $V = iR$
 $\Delta R = 1 + 10/\sqrt{3}$
 $= 6.773$
 $\Delta V = 4/3(6.773)$
 $= 9.03 \sim 9.0$
 $= \text{molar mass}$

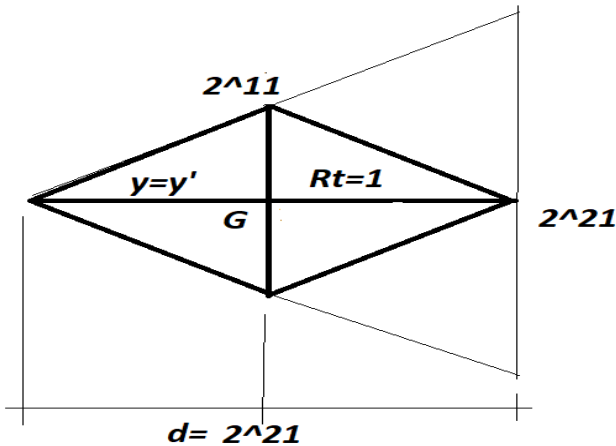


Figure 4 Binomial Decision Tree

$2^{22} = 419 = 1/238$
 $10/9.00 = 1.11111... = 1/105.4 \sim 1/105 = 1/V = 1/E = t$
 $t = 10/9.0 = 1/11111$
 $105 + (|-7| + 35)$

Conclusion

We see that stuttering can be modelled by a dysfunctional potential caused by too many negative ions in the cellular fluid, particularly Nitrate. The frequency of the stuttering mind is 10 x's that of a normal speaker.

References

1. Diamond, M. et al The Human Brian Coloring Book., Collins., USA 1985.